

# A SETA DO TEMPO NO MUNDO DA FÍSICA QUÂNTICA

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# A SETA DO TEMPO E A 2ª LEI DA TERMODINÂMICA



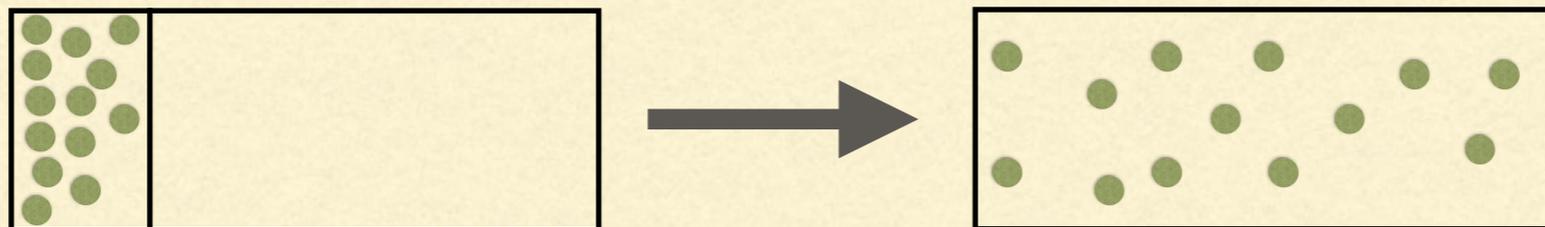
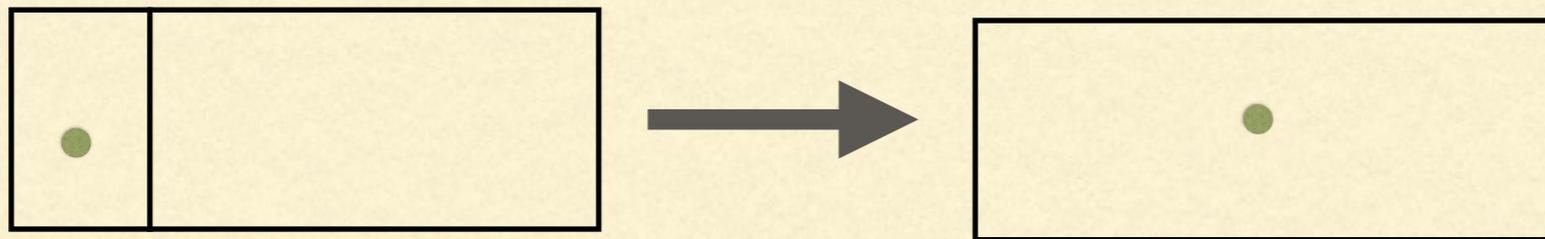
Prof. George Porter, Nobel em química

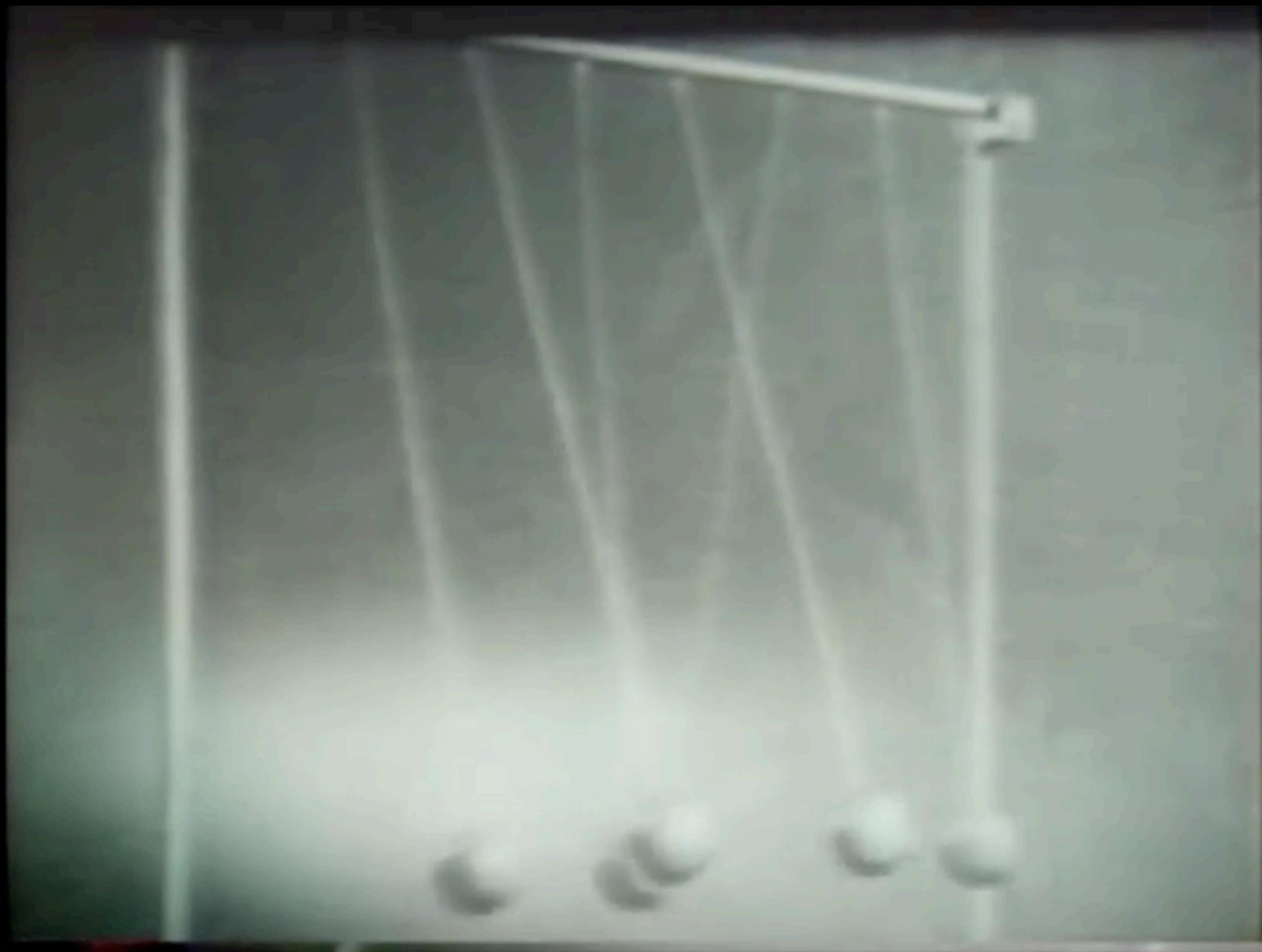


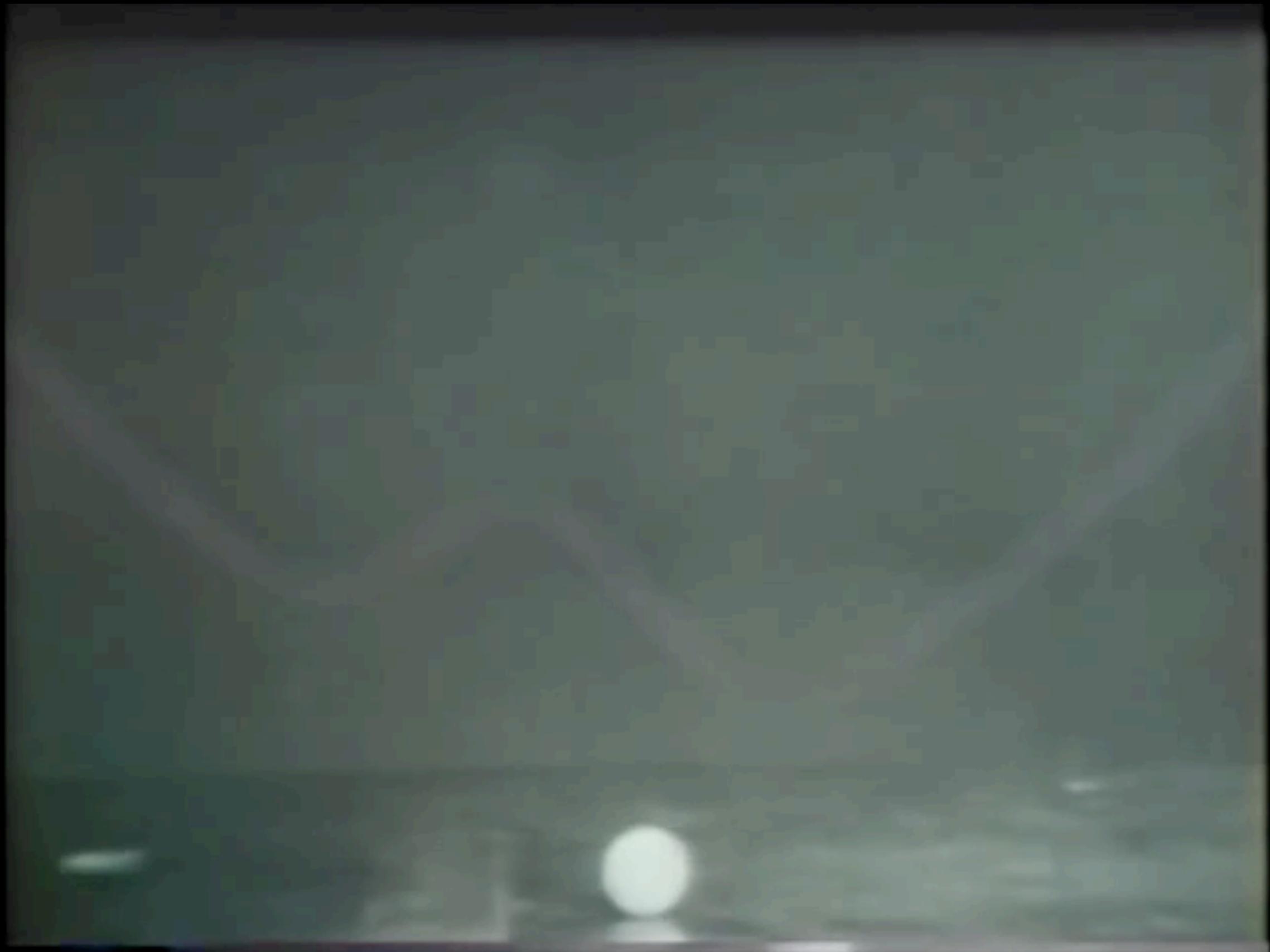
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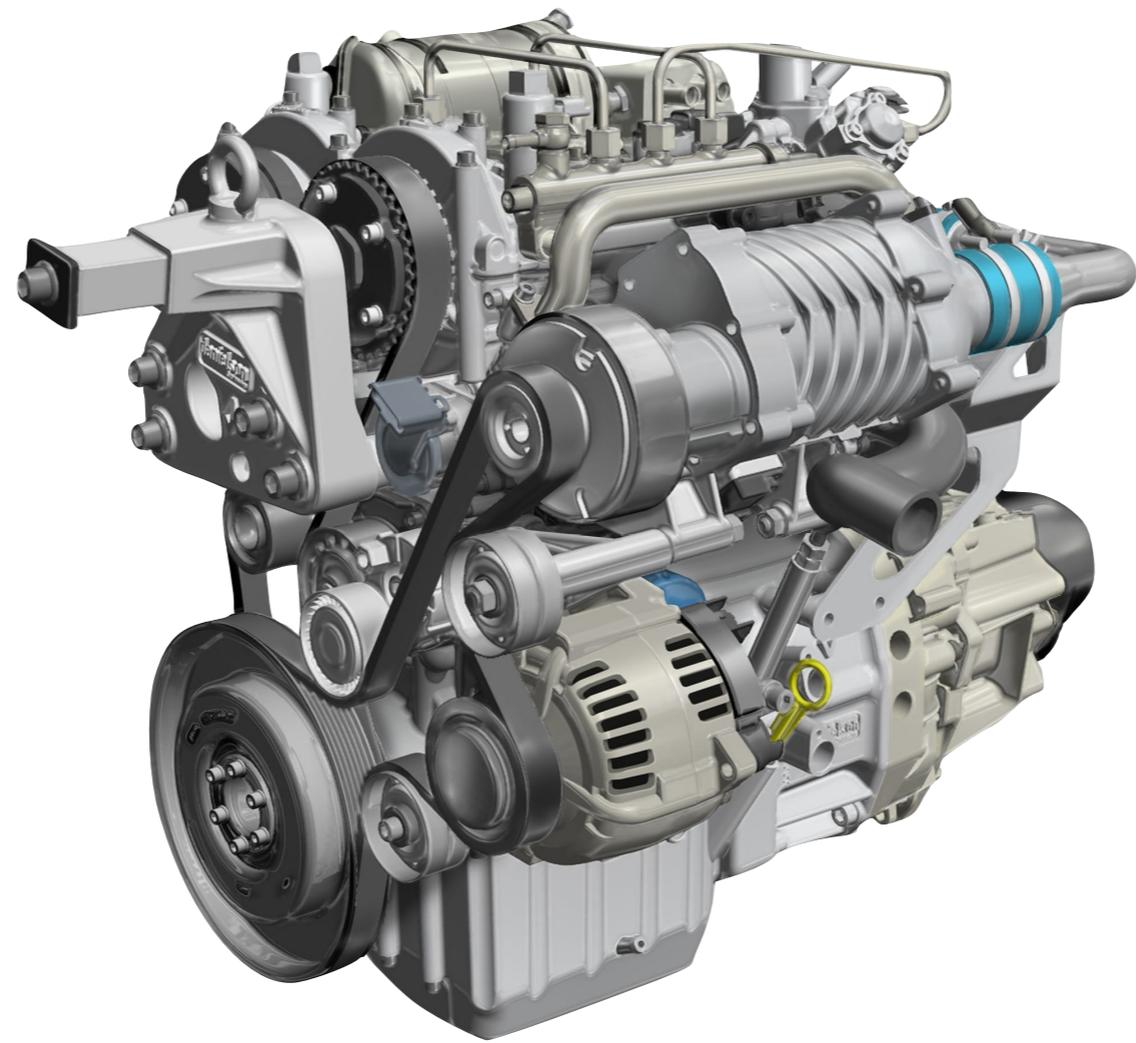
## ORIGEM DA SETA DO TEMPO

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4

T- 00:00:01

STAGE 1 TELEMETRY

SPEED

ALTITUDE



UPCOMING

LIFTOFF

STARTUP

THE FALCON 9 FLIGHT COMPUTERS  
HAVE TAKEN CONTROL OF THE  
COUNTDOWN



LAUNCH: CRS-12

STARTUP

LIFTOFF

MAX-Q

STAGE 1 BOOSTBACK

MAIN ENGINE CUTOFF

STAGE 1 ENTRY BURN

STAGE 1 ENTRY BURN

STAGE 1 LANDING

SECOND STAGE ENGINE CUTOFF

DRAGON DEPLOY

ARRAY DEPLOY

SPACEX

T+ 00:08:21

STAGE 2	TELEMETRY
SPEED	ALTITUDE
 17751 km/h	 227 km

UPCOMING SECO

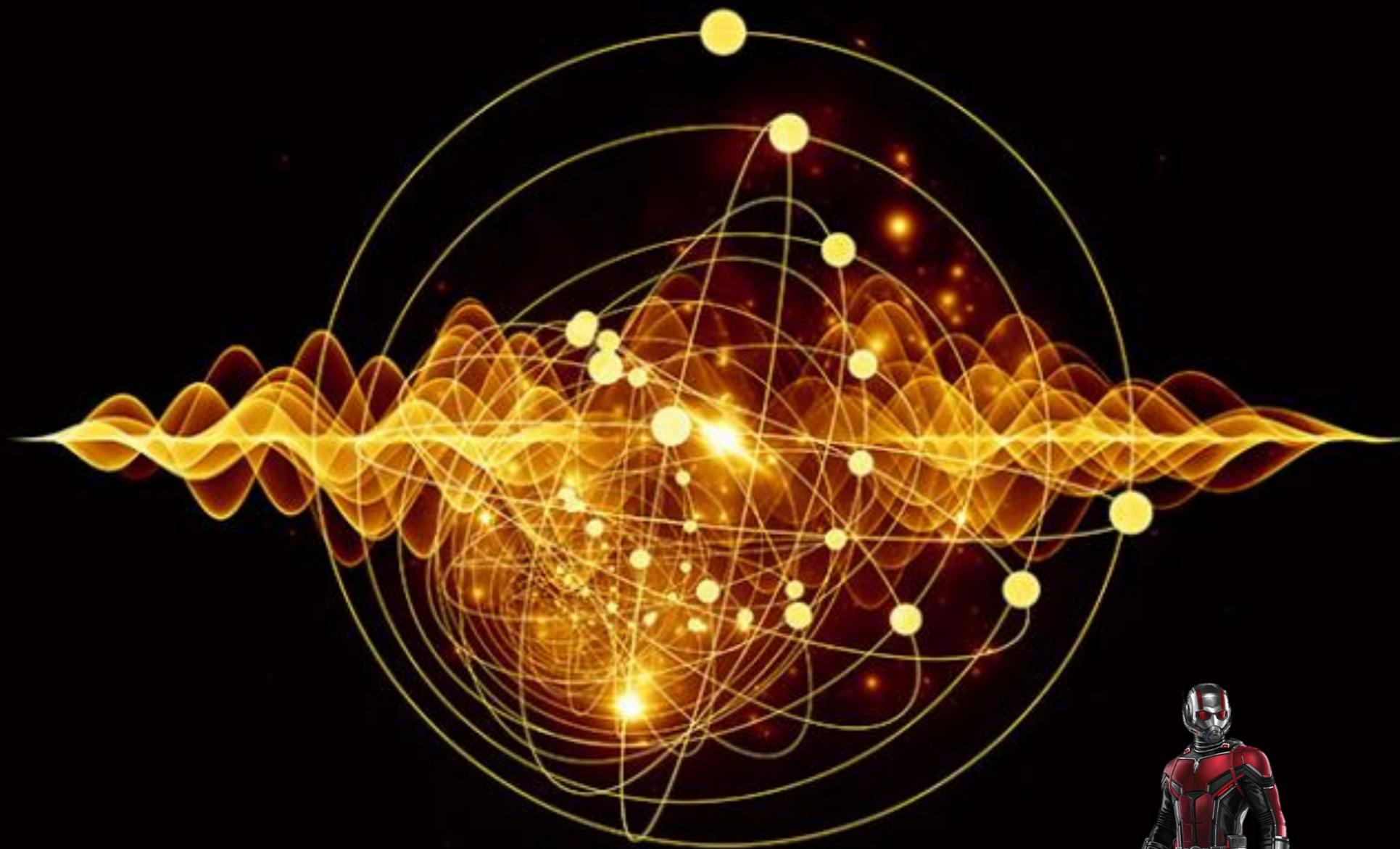
**STAGE 1 LANDING**

THE FIRST STAGE OF FALCON 9 IS ATTEMPTING AN EXPERIMENTAL LANDING ON THE AUTONOMOUS SPACEPORT DRONE SHIP

LAUNCH: CRS-8



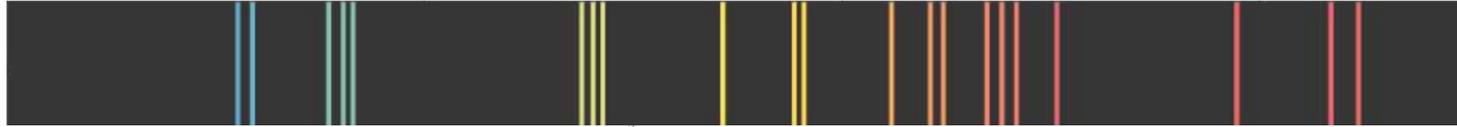




O MUNDO QUÂNTICO

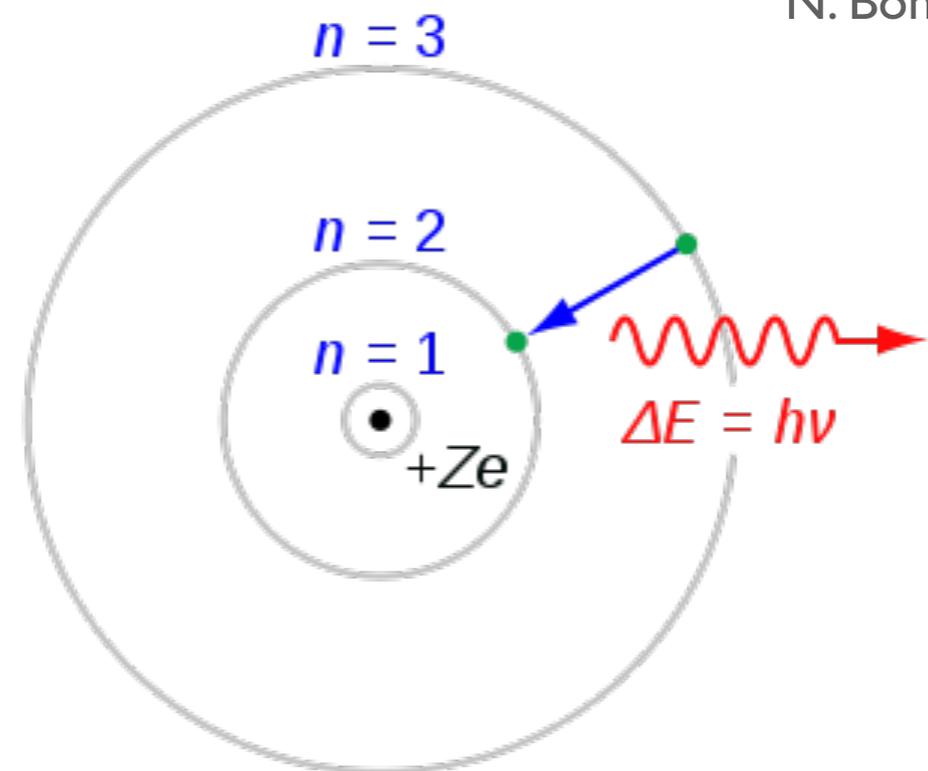






N. Bohr

- Elétrons habitam apenas certas órbitas.
- Quando um elétron pula de uma para a outra, ele emite ou absorve um fóton.



MECÂNICA QUÂNTICA - 1926



SCHRÖDINGER

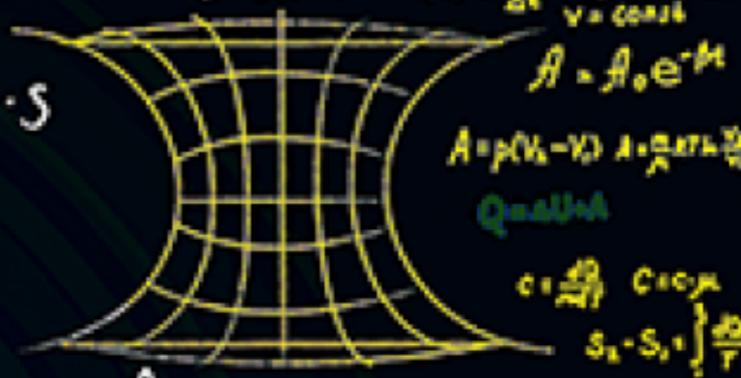


HEISENBERG



DIRAC

$F = \frac{q_1 q_2}{4\pi\epsilon_0 \epsilon r^2}$     $\Phi = \int \beta \cos \alpha ds$     $F = \frac{1}{r^2}$     $V_s = \frac{h \nu}{2}$     $C_r = \frac{1}{2} R$     $I = \frac{U}{R}$     $\langle D \rangle = \frac{a_1 - a_2}{\lambda_1 - \lambda_2}$   
 $\vec{E} = \sum_{i=1}^N \vec{E}_i$     $\psi(x)$     $\frac{1}{\lambda} = R Z^2 \left( \frac{1}{m^2} - \frac{1}{n^2} \right)$     $h = 6,63 \cdot 10^{-34} \text{ Дж} \cdot \text{с}$     $a = a_n + a_1$     $\langle v \rangle = \frac{\Delta s}{\Delta t}$     $\Delta s = s_2 - s_1$     $v = \text{const}$   
 $R = \sigma T^4$     $\rho = mg$     $C = \frac{e_0 \epsilon S}{d}$     $L = \mu \mu_0 n^2 V$     $T_0 = 25 \sqrt{\frac{m}{k}}$     $\chi = h \frac{A(t)}{A(1-T)}$     $v_k = \frac{A}{h}$   
 $\psi_n = \sqrt{\frac{2}{l}} \sin \frac{n \pi x}{l}$     $\omega = \sqrt{\omega_0^2 - \beta^2}$



$x = A \cos(\omega t + \alpha)$     $\omega = 2\pi\nu$     $\Phi = \beta S \cos \alpha$     **$E = mc^2$**   
 $\sigma = 5,67 \cdot 10^{-8} \frac{\text{Вт}}{\text{м}^2 \cdot \text{К}^4}$     $W = |\psi|^2$   
 $R = \alpha \sigma T^4$     $x = A_0 e^{i(\omega t + \alpha)}$   
 $\lambda_m = \frac{b}{T}$     $b = 2,9 \cdot 10^{-3} \text{ м} \cdot \text{К}$



$h\nu = A + \frac{m v_{max}^2}{2}$     $\Delta m > 0$     $\Delta m < 0$     $C = c \cdot \mu$   
 $p = \frac{m v}{\sqrt{1 - \frac{v^2}{c^2}}}$     $E = h\nu = h \frac{c}{\lambda}$     $m_0 = -$     $\langle \lambda \rangle = (\sqrt{2\pi d^2 n})^{-1}$   
 $R = \frac{v}{t \cdot s}$     $\beta = \frac{v}{c}$     $\Delta N = N \frac{4}{\sqrt{2}} e^{\pm u} \Delta u$     $u = \frac{v}{v_0}$   
 $p = \frac{1}{c} \sqrt{W_k (W_k + 2E_0)}$     $\Delta m = Z m_p + N m_n - m$     $\langle Z \rangle = \sqrt{2\pi d^2 n} \langle v \rangle$   
 $E_{cl} = \Delta m c^2$     $\omega = \sqrt{\omega_0^2 - 2\beta^2}$

$\varphi = \arctg \frac{A_1 \sin \alpha_1 + A_2 \sin \alpha_2}{A_1 \cos \alpha_1 + A_2 \cos \alpha_2}$     $\lambda = vT$     $k = \frac{2\pi}{\lambda}$   
 $\Delta = m\lambda, m = 0, 1, 2, \dots$     $\xi = A \cos(\omega t - kx)$   
 $A_p = \frac{f_0}{2p\sqrt{\omega_0^2 - \beta^2}}$     $W = \frac{1}{2} m \omega^2 A^2$     $\rho = \vec{p}_1 + \vec{p}_2 + \dots + \vec{p}_n$   
 $M = F \cdot t$     $\Delta \varphi = \frac{2\pi}{\lambda} \Delta x$     $\rho = nkT$     $\langle c \rangle = \frac{1}{2} \sqrt{3} v$   
 $\eta = \frac{1}{3} \rho \langle v \rangle \langle \lambda \rangle$     $U = \frac{1}{2} \frac{m}{\lambda} v^2$     $\frac{pV}{T} = \frac{m}{\mu} R = kN$     $\sigma = en(u_n + u_p)$

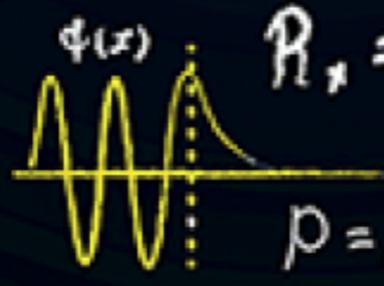
$E_n = \frac{h^2}{8ml^2} n^2$     $\omega = \frac{c}{\lambda}$



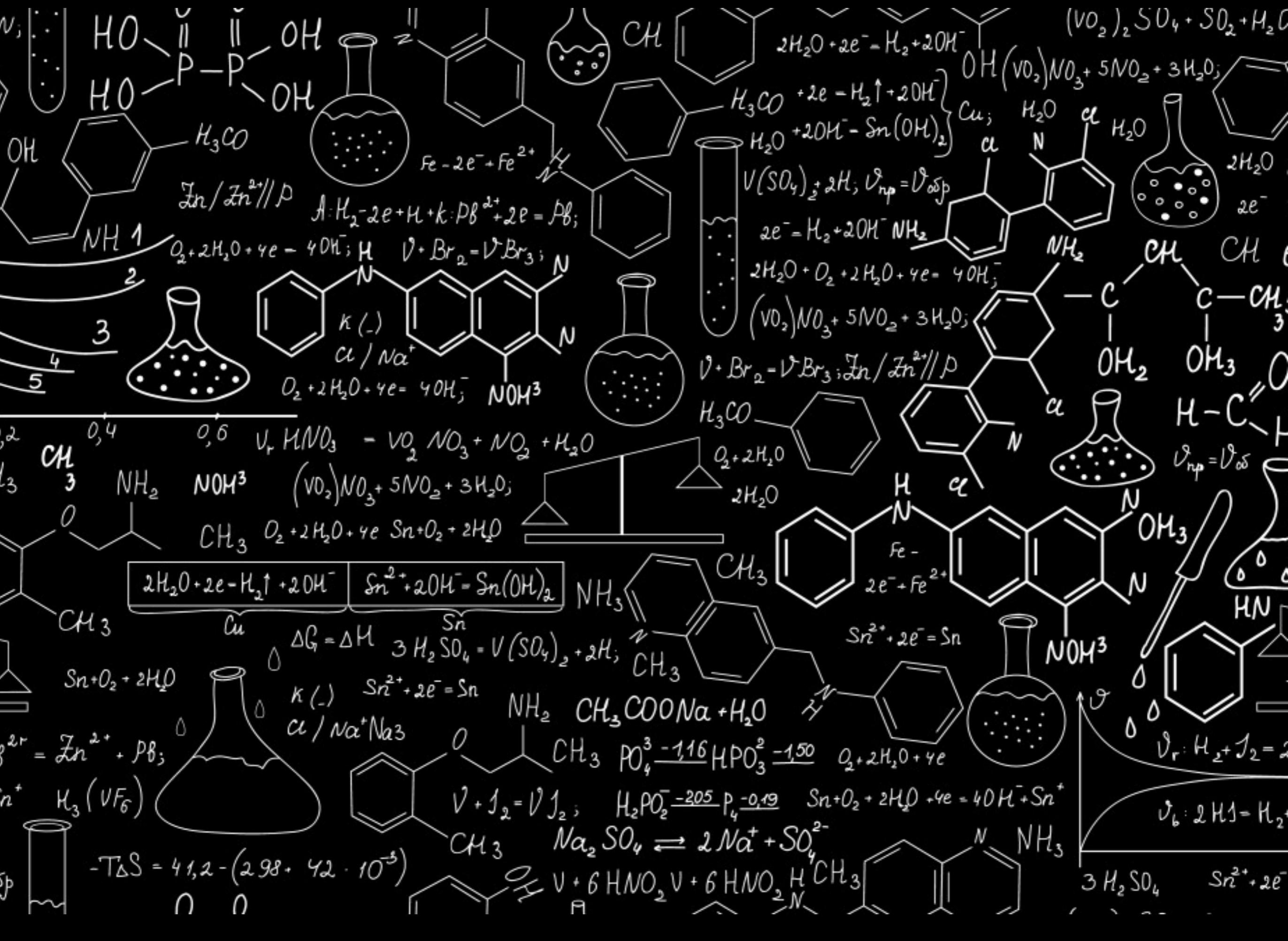
$\lambda = \frac{h}{p}$     $\varphi = \frac{W}{Q_0}$     $n = \frac{W}{Q_0}$   
 $f(v) = 4\pi \left( \frac{2\pi m v}{h} \right)^{1/2} v^2 e^{-\frac{mv^2}{2kT}}$     $\Delta u = \frac{\Delta v}{v_0}$   
 $\lambda_k = \frac{hc}{A}$     $\vec{E} = \frac{F}{q}$   
 $W = mgh$     $F_{sp} = kN$   
 $\langle v \rangle = \sqrt{\frac{8kT}{\pi m_0}} = \sqrt{\frac{8RT}{\pi \mu}}$     $E_s = -L \frac{dI}{dt}$     $A = F \Delta s \cos \alpha$



$A = l \Delta \Phi$     $q = \frac{\Delta \Phi}{R}$     $D = \frac{1}{3} \langle v \rangle \langle \lambda \rangle$     $\Delta = L_2 - L_1$     $E = \frac{q}{4\pi \epsilon_0 \epsilon r^2}$     $\chi = \eta \frac{1}{2} \frac{R}{\mu}$   
 $E_2 = \frac{5}{2} \cdot \hbar \omega (n=2)$     $E_1 = \frac{3}{2} \cdot \hbar \omega (n=1)$     $E_0 = \frac{1}{2} \cdot \hbar \omega (n=0)$



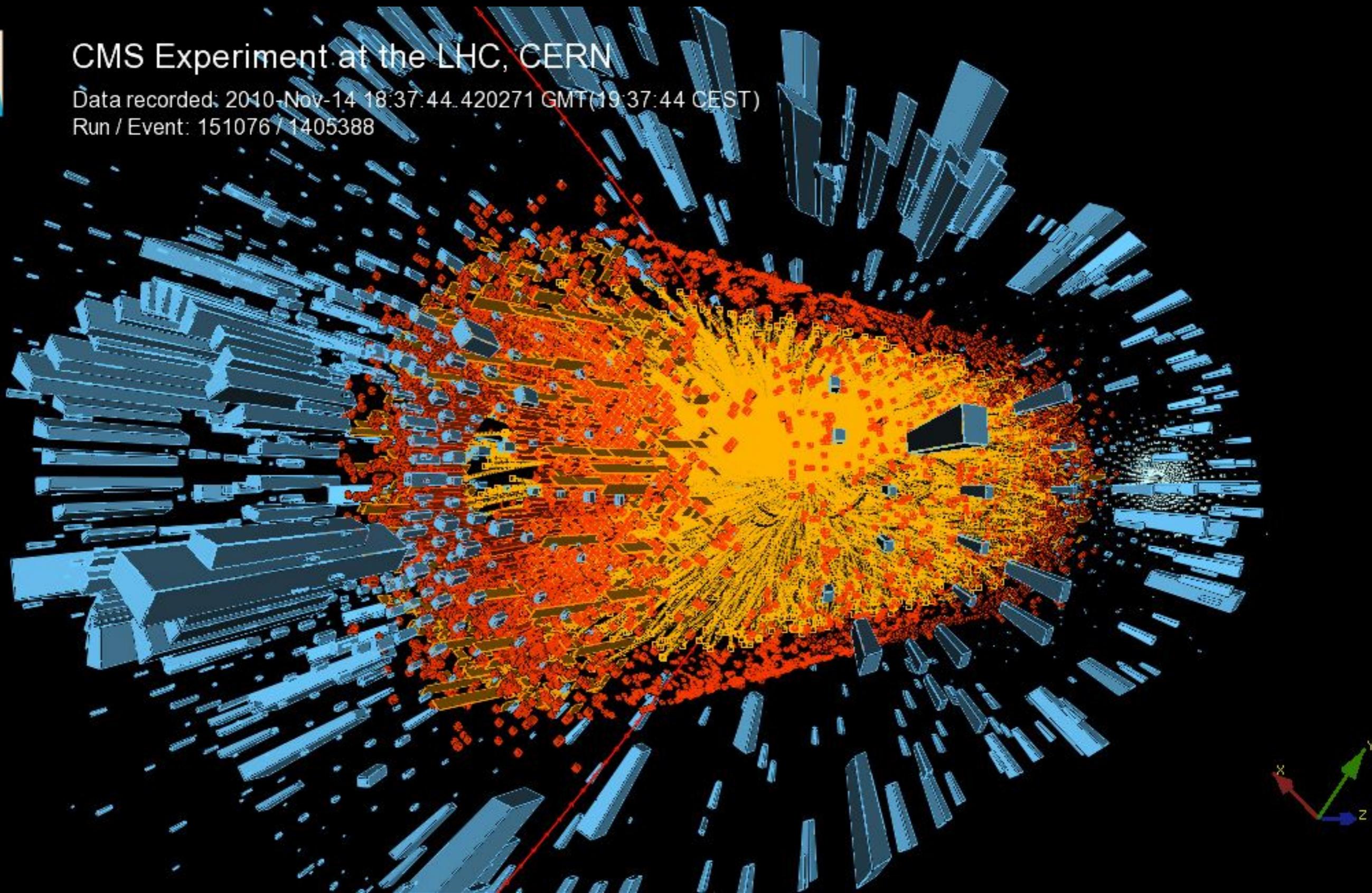
$R_x = \frac{3\hbar}{8}$     $\frac{r}{ne} = \frac{h}{\lambda}$     $p = p_0 e$     $\psi = N \varphi$





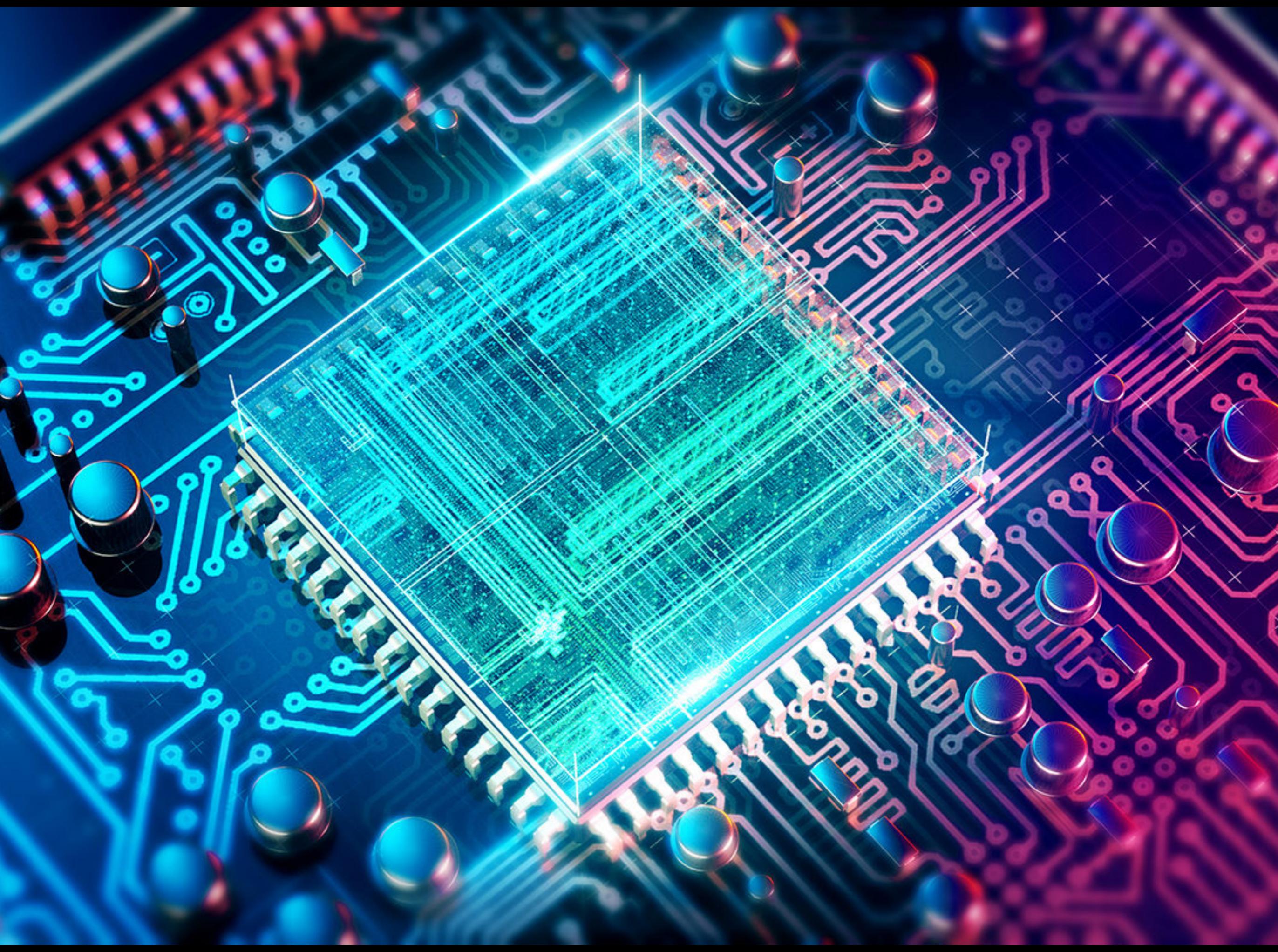
# CMS Experiment at the LHC, CERN

Data recorded: 2010-Nov-14 18:37:44.420271 GMT(19:37:44 CEST)  
Run / Event: 151076 / 1405388

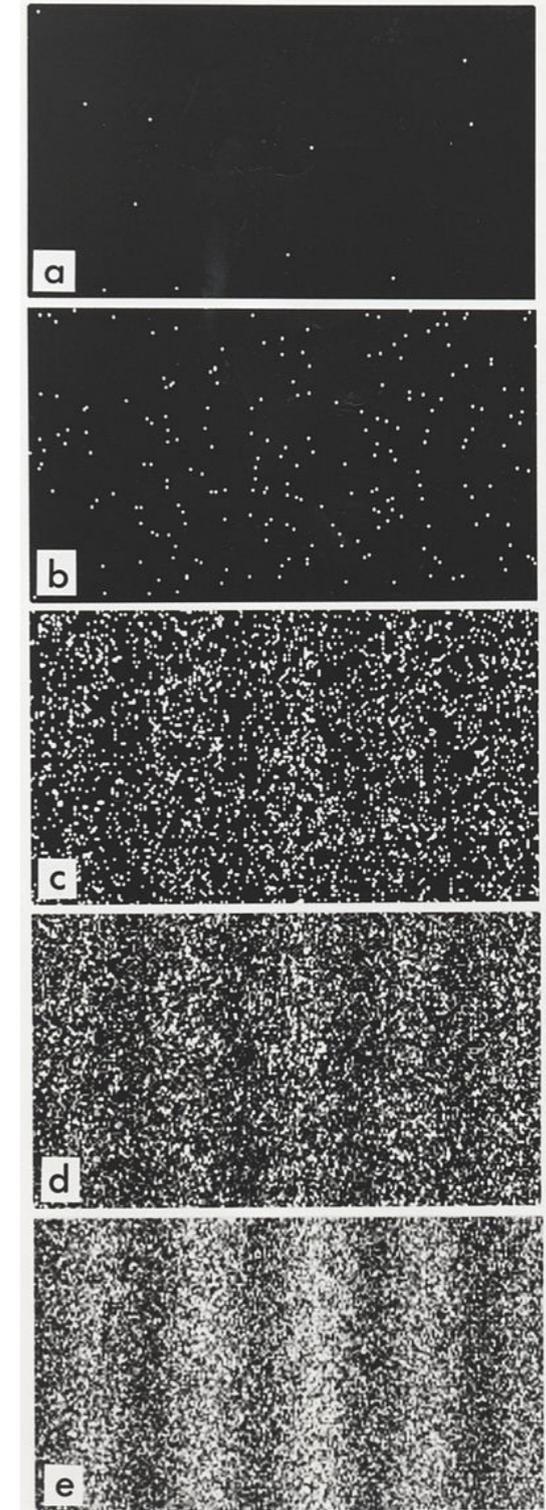
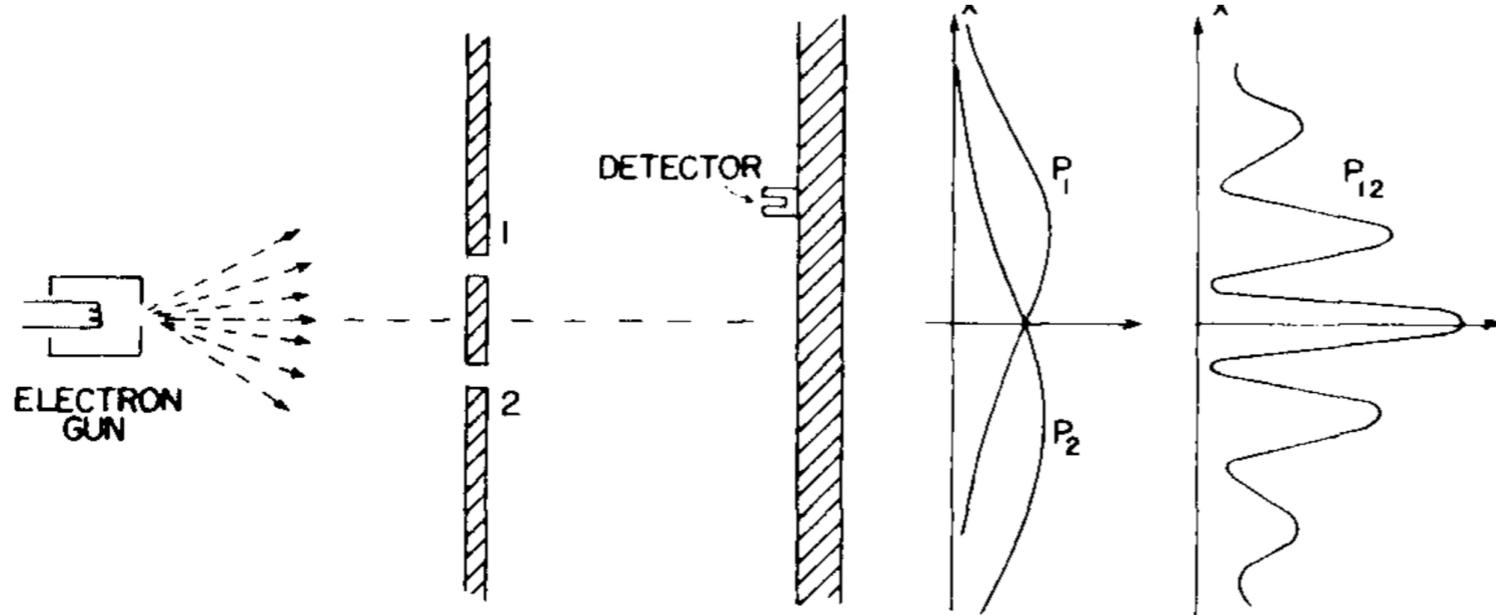
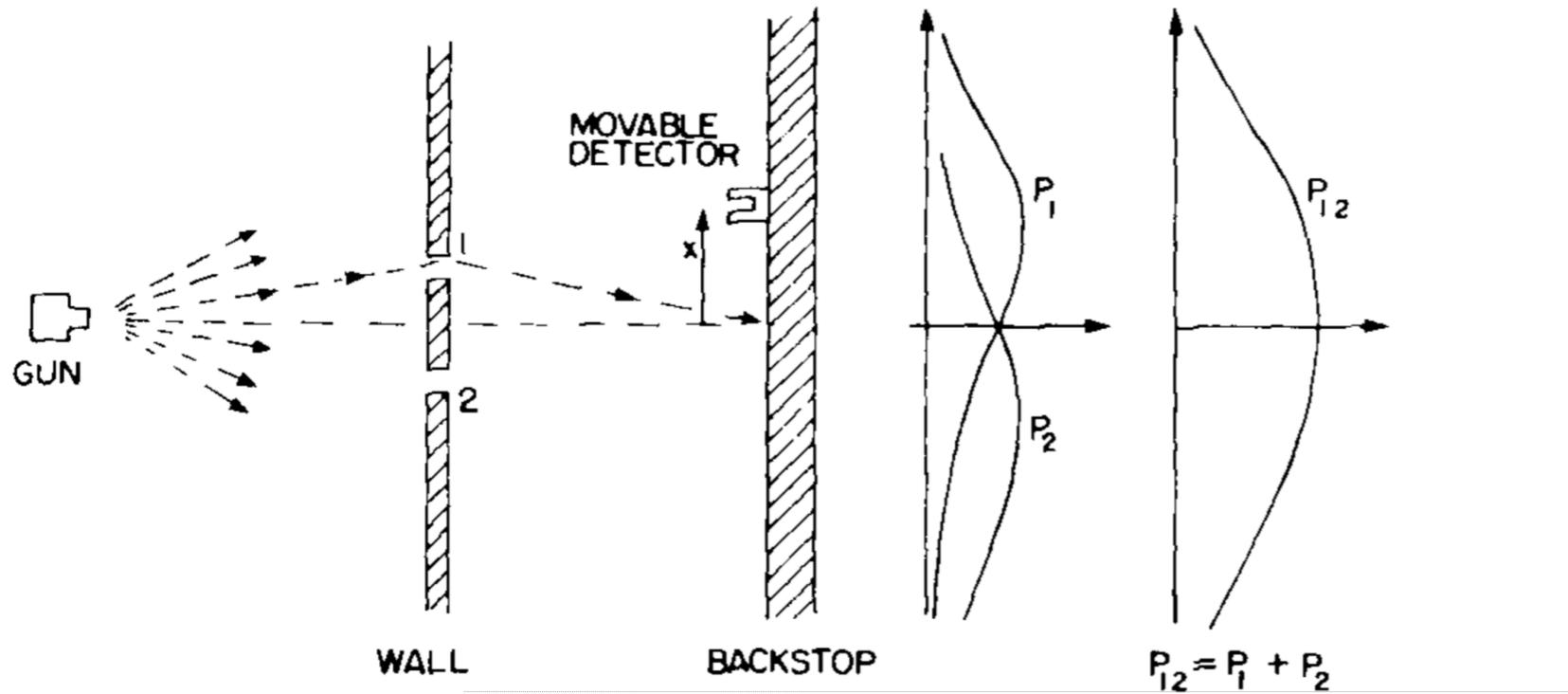




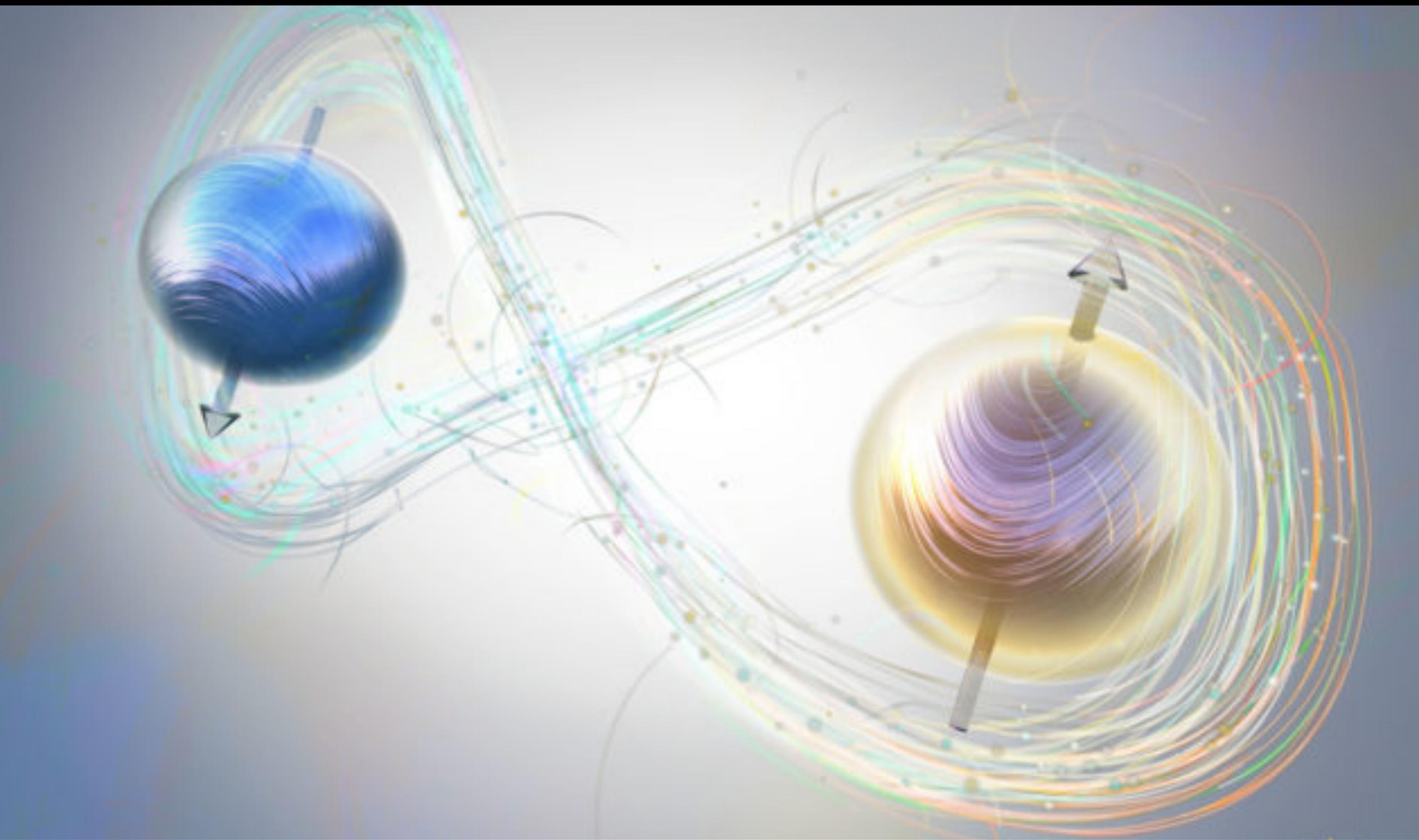




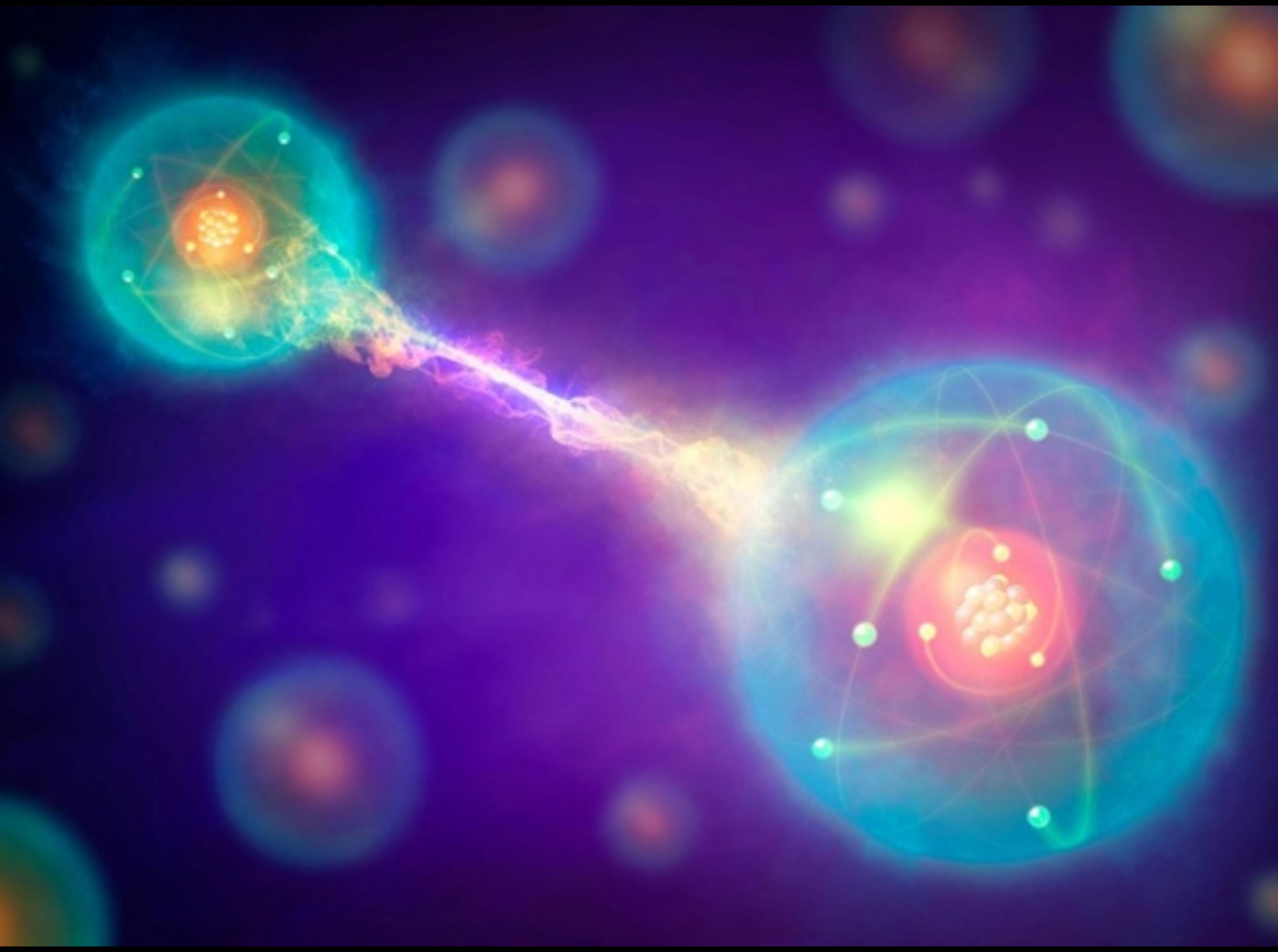
# PRINCÍPIO DA SUPERPOSIÇÃO

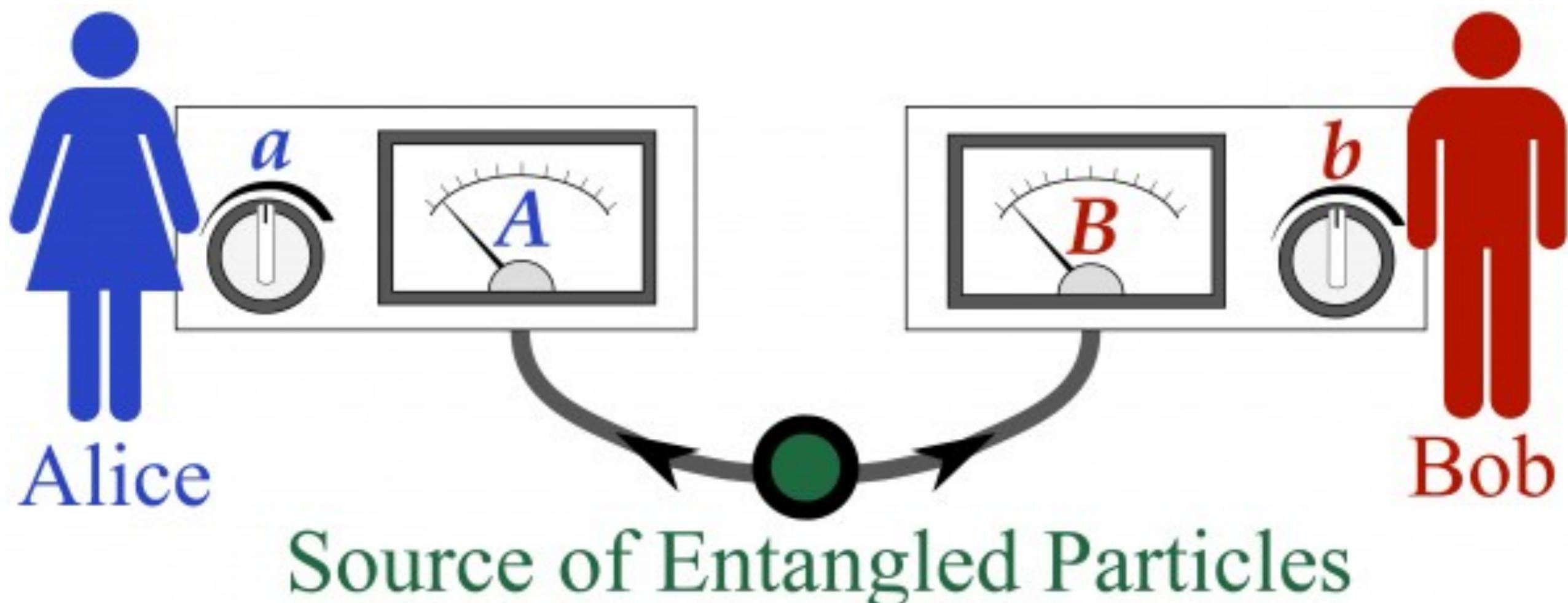






EMARANHAMENTO





## ✓ Sensores quânticos

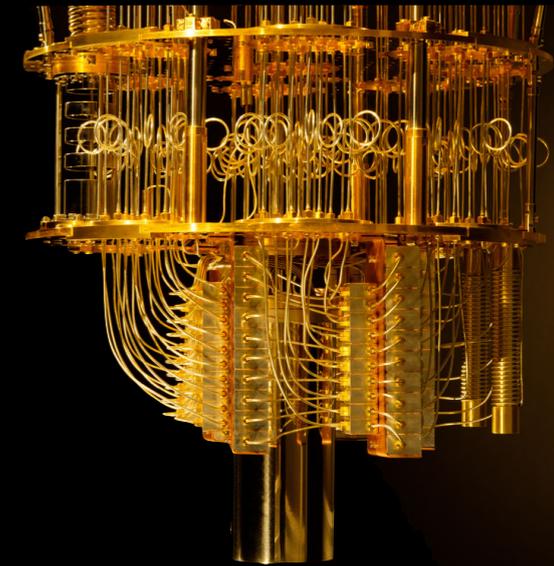
- Sensores ultra precisos para detectar campos magnéticos, campos gravitacionais, etc.

## ✓ Comunicações quânticas:

- Comunicações encriptadas ultra-seguras

## ✓ Computação quântica

- Programas exponencialmente mais rápidos, que são inviáveis com computadores tradicionais.



# QUSPIN

AN ATOMIC DEVICES COMPANY





## ALGORITMO DE SHOR

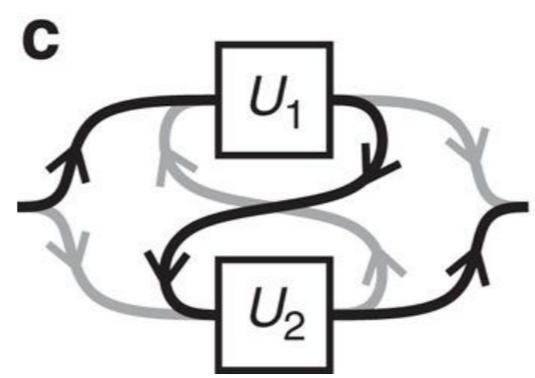
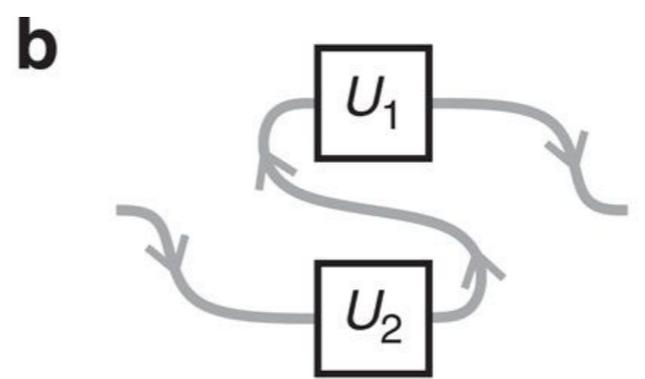
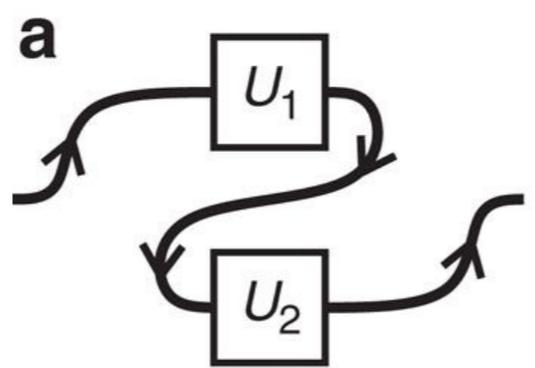
$$63 = 3 \times 3 \times 7$$

$$195 = 3 \times 5 \times 13$$

$$2434500 = 2 \times 2 \times 3 \times 3 \times 5 \times 5 \times 5 \times 541$$

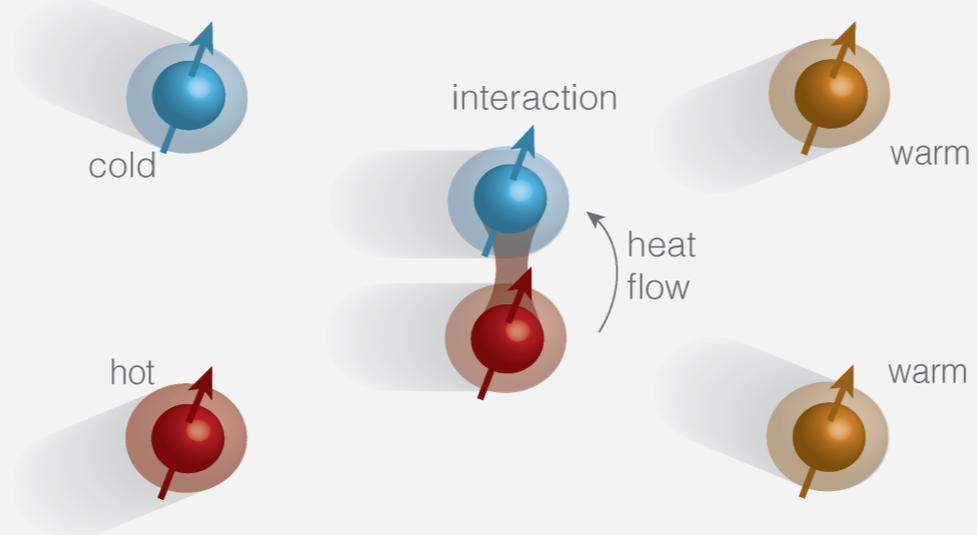
UM COMPUTADOR QUÂNTICO SERIA CAPAZ DE REALIZAR ESSA TAREFA DE FORMA **EXPONENCIALMENTE** MAIS RÁPIDA

NÚMERO	TEMPO (S)
$10^{100} + 1$	0,04
$10^{101} + 1$	0,0094
$10^{102} + 1$	0,75
$10^{103} + 1$	82,2

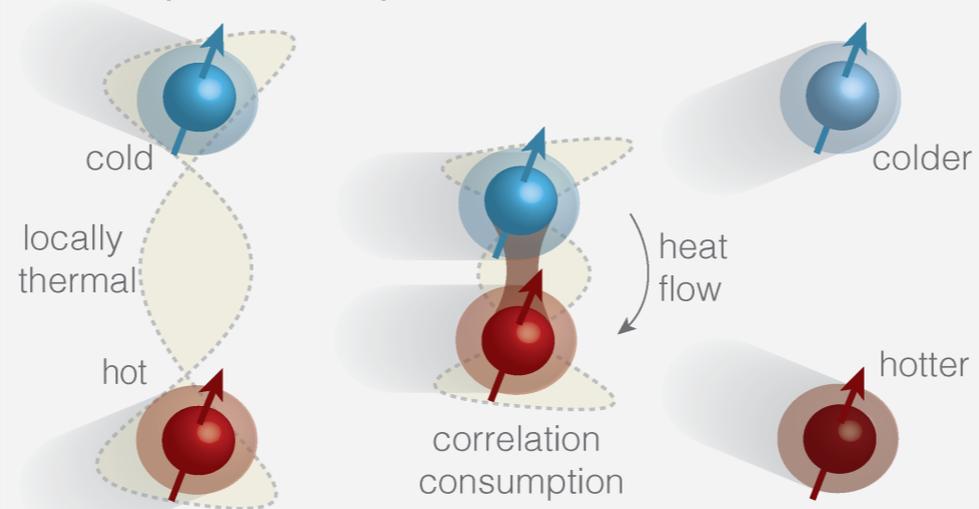


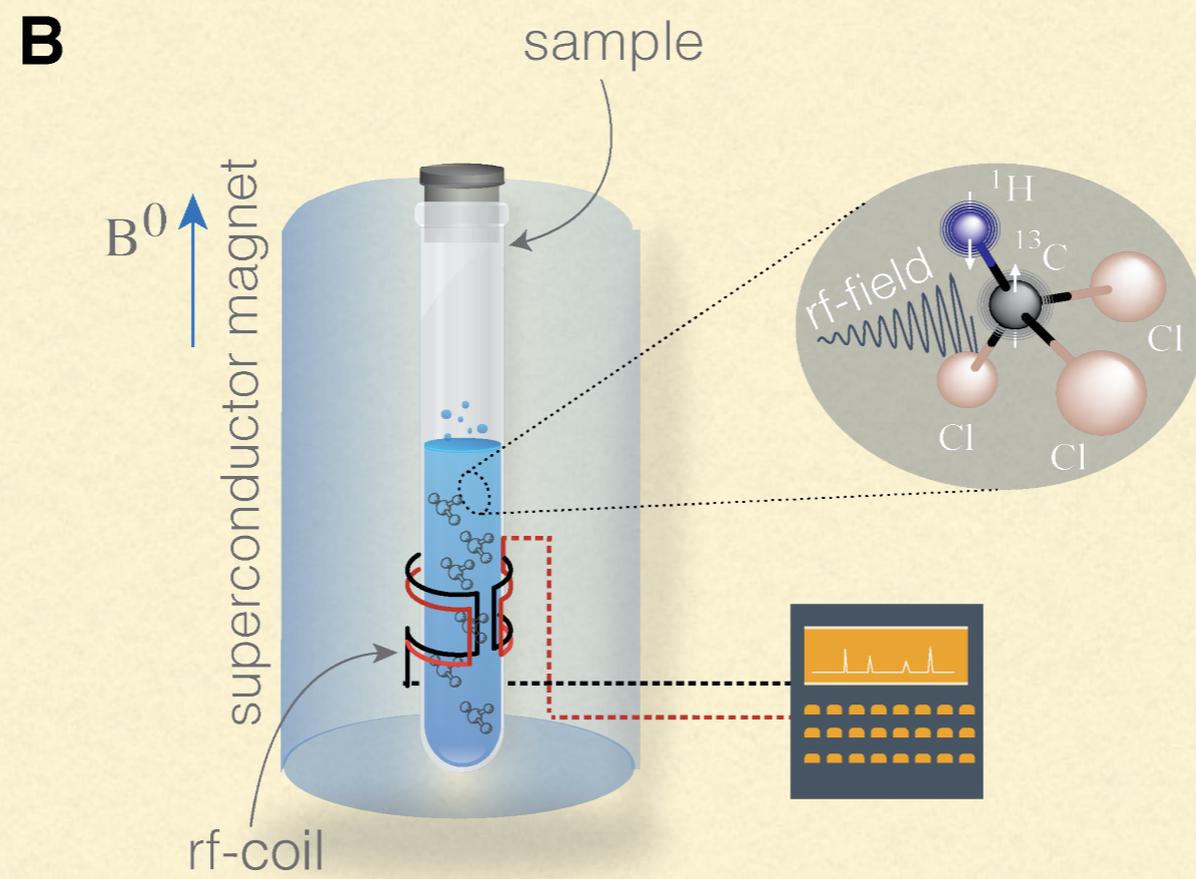
**A**

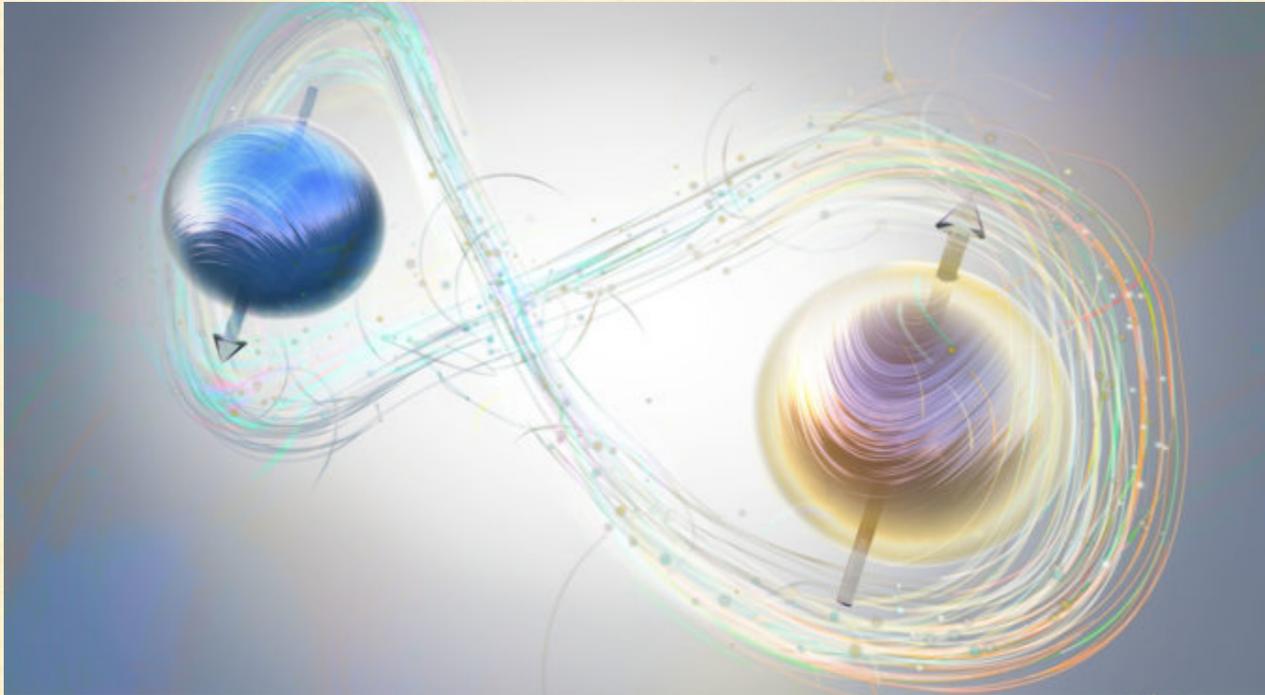
Initially uncorrelated systems



Initially correlated systems







# **SE O MUNDO GIRASSE AO CONTRÁRIO**

LEONARDO MARTINELLI - UFRJ

Vencedor do festival *quantum shorts* 2019 em Cingapura.

# THE BORDER TERRITORY

QUANTUM DOMAIN

CLASSICAL DOMAIN

PHOTONS  
ELECTRONS  
ATOMS

- o
- o
- o
- o
- o
- o

GRAVITY WAVE DETECTOR

SUN  
PLANETS

- o
- o
- o
- US
- o
- o
- o

QUANTUM FLUIDS



QUANTUM BILL OF RIGHTS  
INTERFERE IF YOU CAN!!!  
SCHRÖDINGER'S EQUATION

CLASSICAL LAW AND ORDER  
DO NOT INTERFERE!!!  
NEWTON'S EQUATIONS  
SECOND LAW OF THERMODYNAMICS